

Scavenger: A Cloud Service for Optimizing Cost and Performance of ML Training

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Distributed Training in the Cloud

- Variety of VM types and sizes in the cloud
- Distributed training has configuration parameters that affect time and cost:
	- **Cluster-size (K)**: # workers training in parallel
	- **Batch-size (B)**: cumulative batch-size processed in a training step
- Each **(K, B)** results in different cost-time tradeoffs!

What is the right job configuration?

- Cloud resources and a training job present a huge configuration space!
- **• Scavenger accurately predicts performance and cost of different model and (K,B) configurations**
- **• Uses an Online approach:**
	- **• Leverages iterative nature of training**
	- **• No need for prior offline profiling**
	- **• Works in a black-box manner**
	- **• Tensorflow-based middleware**

Distributed Data-Parallel Training

• With Parameter server (PS), workers train independently on i.i.d. data by pulling updates from a central server and push updates for aggregation: $\mathbf{x}_{t+1} = \mathbf{x}_t - \eta$ 1 *K* 1 *b k*=*K* ∑ $\nabla f(\mathbf{x}_{k,t}) \rightarrow$ elastic

k=1

- Each training step is an iterative, repetitive process comprised of:
	- **Computation**: In forward-backward pass, evaluate loss and compute gradients
	- **Communication**: push/pull updates to/from the PS
- Tradeoffs in synchronous data-parallelism: $K \rightarrow$ more communication and **B → more computation and memory consumption**

Horizontal scaling: Increasing K

- Training can be scaled out by adding more workers and **increasing K**
- Training time to desired accuracy reduces as K increases
- However, **scaling is not linear**; increasing K by 4x does not reduce training time proportionately! → due to communication overheads!

1K

Vertical scaling: Increasing B

- ML training can be scaled up by **increasing batch size B** (reducing communication overhead)
- Scaling up VMs by increasing memory allows for larger batch-sizes that converge better

Performance tradeoffs \Rightarrow Parallel and Statistical efficiency

- Parallel efficiency: Amdahl's law → lower scaling with larger workers
- **Statistical efficiency**:
	- Specific to deep learning due to stochastic nature of SGD
	- Work performed on all iterations **not** equally useful
	- Gradients computed on a small mini-batch of data can be **noisy**
	- Gradient noise increases the iterations needed for convergence

How to measure Statistical Efficiency?

• SGD noise compares gradient variance among different workers

$$
\gamma(t) = \frac{\mathbb{E}[\frac{1}{K}\sum_{k=1}^{K}||g_t^{(k)}||^2]}{\mathbb{E}[||\tilde{g}_t||^2]}
$$

• Integrates easily into the backpropagation routine

SGD Noise efficacy to predict performance

- Gradients are volatile in early stages so noise is low
- Once stabilized, normalize noise by K to compare performance across different Bs
- SGD Noise reduces as B increases and thus training time decreases

Scavenger Performance and Cost Model

 $Cost = (\# \text{ VMs}) \times \text{Time} \times \text{price}_{VM}$

 $Time = t_{iteration} \times (\text{\# iterations})$

- **Statistical efficiency**: from empirically measured SGD noise
- **Parallel efficiency**: from running/inferring for a (K, B) configuration

Performance and Cost model

- **Cost** proportional to **number of steps** and **time per-step; Per-step time** comprises of **computation** and **communication time**.
- Job profiling and searching:
	- **Full/Offline search**:Run each configuration briefly; use checkpointing to resume
	- **Online search**:Run on extremums and interpolate from linear model
	- **No-search**:Use DNN-agnostic approximate model for all jobs

Modeling Parallel Performance

- Model training is repetitive and parallel performance identical over the iterations
- Iteration time comprises of compute and communication

 $t_{iteration} = t_{compute} + t_{communication}$

- **Computation time**: $t_{compute} \propto$ batch-size (B)
- **Communication time**: *t communication* ∝ # workers (*K*)

Modeling Statistical Performance

- **• Need to know the epochs needed to converge to a specific accuracy target**
- Relative to Full GD taking e^* epochs to converge, training with B takes more epochs to converge:

$$
e^{(K,B)} = e^* + \theta \cdot \gamma_{(K,B)} \implies e^{(K,B)} \propto \gamma_{(K,B)}
$$

Modeling Statistical Performance

• For partial search, no need to profile each configuration

• Model noise as a function of B and fit a **global** linear model on a DNN:

• Fit a **global** linear model for different DNNs

γ(*K*,*B*) ∝

1

B

Resource Allocation policy

- Build time-cost tradeoff curves using parallel and statistical performance model using full, partial or no-search policy
- Choose configuration that optimizes either **time, cost or in-between (knee-point)**
- Constraints on (K,B) influence the degree of exploration space → **specified by user**

Cost-Time Tradeoffs

• Per-VM cost is fixed

Cost-time tradeoffs to reach same convergence for various B across decreasing cluster sizes [20,16,12,8] on GCP. Dashed lines show the cost predicted by our full-search performance model

Cost-Time Tradeoffs

• VMs are priced based on their allocated memory size

Scavenger works with different pricing policies. Here, VMs are priced based on their allocated memory size (proportional to B), resulting in different cost-time tradeoffs

Model Error for different search strategies

- Full: runs every configuration for few iterations → most accurate!
- **Partial**: runs extreme (K,B) configurations and interpolates via performance models
- Universal: predicts time-cost in DNN-agnostic way → least accurate!

Prediction error of performance models. Error for full and partial search is low, and even acceptable for DNN-agnostic universal model.

